| Meden School Curriculum Planning |  |  |  |  |  |  |  |
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| Subject | Physics | Year Group | 10 | Sequence No. |  | Topic | P5a |


| Retrieval | Core Knowledge | Student Thinking |
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| What do teachers need retrieve from students before they start teaching new content? | What specific ambitious knowledge do teachers need teach students in this sequence of learning? | What real life examples can be applied to this sequence of learning to development of our students thinking, encouraging them to see the inequalities around them and 'do something about them!' |
| KS1 year 1: <br> KS1 year 2: <br> -find out how the shapes of solid objects made from some materials can be changed by squashing, bending, twisting and stretching <br> KS2 years 3 \& 4: <br> -compare how things move on different surfaces -notice that some forces need contact between 2 objects, but magnetic forces can act at a distance <br> KS2 years 5 \& 6 . <br> -explain that unsupported objects fall towards the Earth because of the force of gravity acting between the Earth and the falling object identify the effects of air resistance, water resistance and friction, that act between moving surfaces -recognise that some mechanisms including levers, pulleys and gears | L1: Vectors and scalars. Contact and non-contact forces. <br> 6.5.1.1: Scalar quantities have magnitude only. <br> Vector quantities have magnitude and an associated direction. <br> A vector quantity may be represented by an arrow. The length of the arrow represents the magnitude, and the direction of the arrow the direction of the vector quantity. <br> 6.5.1.2: A force is a push or pull that acts on an object due to the interaction with another object. All forces between objects are either: <br> contact forces - the objects are physically touching <br> non-contact forces - the objects are physically separated. <br> Examples of contact forces include friction, air resistance, tension and normal contact force. <br> Examples of non-contact forces are gravitational force, electrostatic force and magnetic force. <br> Force is a vector quantity. <br> Students should be able to describe the interaction between pairs of objects which produce a force on each object. The forces to be represented as vectors. <br> L2:Weight = mass $x$ gravity. <br> 6.5.1.3: Weight is the force acting on an object due to gravity. The force of gravity close to the Earth is | Application: discussion of weightlessness at the international space station |

allow a smaller force to have a greater effect

KS3 Y7 :
-speed and the quantitative relationship between average speed, distance and time (speed = distance $\div$ time)
-the representation of a journey on a distance-time graph
-forces as pushes or pulls, arising from the interaction between 2 objects
using force arrows in diagrams, adding forces in 1 dimension, balanced and unbalanced forces
-forces measured in newtons
-measurements of stretch or compression as force is changed
force-extension linear relation; Hooke's Law as a special case
-non-contact forces: gravity forces acting at a distance on Earth and in space, forces between magnets, and forces due to static electricity
due to the gravitational field around the Earth.
The weight of an object depends on the gravitational field strength at the point where the object is.
The weight of an object can be calculated using the equation:
weight $=$ mass $\times$ gravitational field strength

$$
W=m g
$$

weight, $W$, in newtons, $N$
mass, $m$, in kilograms, kg
gravitational field strength, $g$, in newtons per kilogram, $\mathrm{N} / \mathrm{kg}$ (In any calculation the value of the gravitational field strength $(g)$ will be given.)

The weight of an object may be considered to act at a single point referred to as the object's 'centre of mass'.

The weight of an object and the mass of an object are directly proportional.

Weight is measured using a calibrated spring-balance (a newtonmeter).

## L3: Resultant forces

6.5.1.4: A number of forces acting on an object may be replaced by a single force that has the same effect as all the original forces acting together. This single force is called the resultant force.

Students should be able to calculate the resultant of two forces that act in a straight line.
(HT only) Students should be able to:
describe examples of the forces acting on an isolated object or system
use free body diagrams to describe qualitatively examples where several forces lead to a resultant force on an object, including balanced forces when the resultant force is zero.

Application: tracking projected flight or boat crossings, taking into account for the currents. planning a swim across the channel

|  | L4: Scale drawings <br> (HT only) A single force can be resolved into two components acting at right angles to each other. The two component forces together have the same effect as the single force. <br> (HT only) Students should be able to use vector diagrams to illustrate resolution of forces, equilibrium situations and determine the resultant of two forces, to include both magnitude and direction (scale drawings only). <br> L5: work done <br> 6.5.2: When a force causes an object to move through a distance work is done on the object. So a force does work on an object when the force causes a displacement of the object <br> The work done by a force on an object can be calculated using the equation: <br> work done $=$ force $\times$ distance <br> moved along the line of action of the force $W=F s$ <br> work done, $W$, in joules, J force, $F$, in newtons, N <br> distance, $s$, in metres <br> One joule of work is done when a force of one newton causes a displacement of one metre. <br> 1 joule $=1$ newton-metre <br> Students should be able to describe the energy transfer involved when work is done. <br> Students should be able to convert between newton-metres and joules. <br> Work done against the frictional forces acting on an object causes a rise in the temperature of the object. <br> L6: Hookes Law | and the importance of timing swim with the correct current to minimise drift and conserve energy. <br> Career: engineers choosing springs with a suitable spring constant to meet the needs of the machine. Eg mountain bike and car suspensions, or firmness of mattresses |
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### 6.5.3: Students should be able to:

give examples of the forces involved in stretching, bending or compressing an object explain why, to change the shape of an object (by stretching, bending or compressing), more than one force has to be applied - this is limited to stationary objects only
describe the difference between elastic deformation and inelastic deformation caused by stretching forces.
The extension of an elastic object, such as a spring, is directly proportional to the force applied, provided that the limit of proportionality is not exceeded.
L7: Force $=$ spring constant x extension2
force $=$ spring constant $\times$ extension
$F=k e$
force, $F$, in newtons, N
spring constant, $k$, in newtons per metre, $\mathrm{N} / \mathrm{m}$ extension, $e$, in metres, m
This relationship also applies to the compression of an elastic object, where ' $e$ ' would be the compression of the object.

Students should be able to:
calculate a spring constant in linear cases
interpret data from an investigation of the relationship between force and extension
calculate work done in stretching (or compressing) a spring (up to the limit of proportionality) using the equation:

$$
\text { elastic potential energy }=0.5 \times \text { spring constant } \times \text { extension }{ }^{2}
$$

$$
E_{\mathrm{e}}=\frac{1}{k} k e^{2}
$$

L7: inelastic/ limits of proportionality.

Application: bungee jumping companies need to know the weight of the jumper in order to ensure elastic limit of the bungee cord is not exceeded for safety reasons

|  | A force that stretches (or compresses) a spring does work and elastic potential energy is stored in <br> the spring. Provided the spring is not inelastically deformed, the work done on the spring and the <br> elastic potential energy stored are equal. <br> Students should be able to: <br> describe the difference between a linear and non-linear relationship between force and <br> extension |  |
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|  | $\underline{\text { L8: Revision }}$ <br> $\underline{\text { L10: GPA test feedback }}$ |  |

